

Wireless Myths, Realities and Futures: From classic radio-frequency to visible-light and quantum-solutions...

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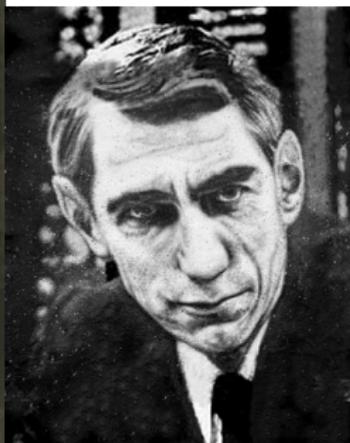
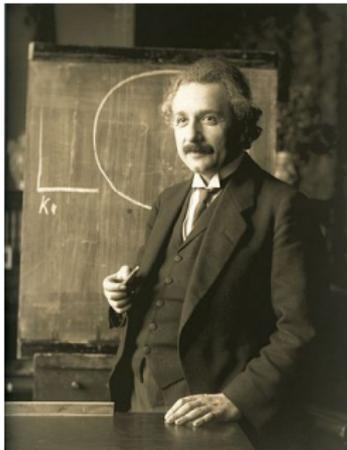
July 27, 2018

- **The myths & realities**
- **Moore's Law leads to nano-scale integration**
- **Global momentum in quantum technologies**
- **Superposition, entanglement and all that...**
- **What is quantum computing?**
- **What is quantum communication?**
- **EXAMPLE 1 - Quantum codes for mitigating quantum decoherence**
- **The Future?**
- **EXAMPLE 2 - Quantum-Internet: Routing above the clouds using quantum search algorithms**

The Dream-Team

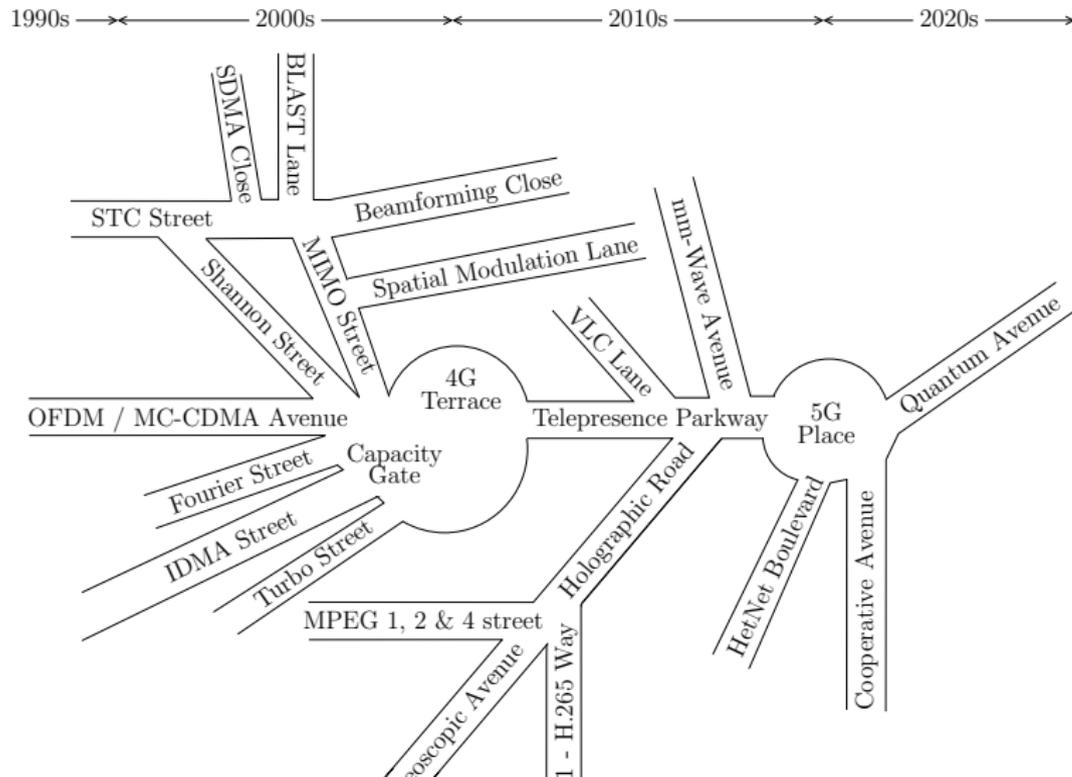


The Founders of our Field ©Hanzo *et al.*



Wireless Myths & Realities...

A Stroll with Shannon to Next-Generation Plaza... ©Hanzo *et al.*



The Electromagnetic Spectrum

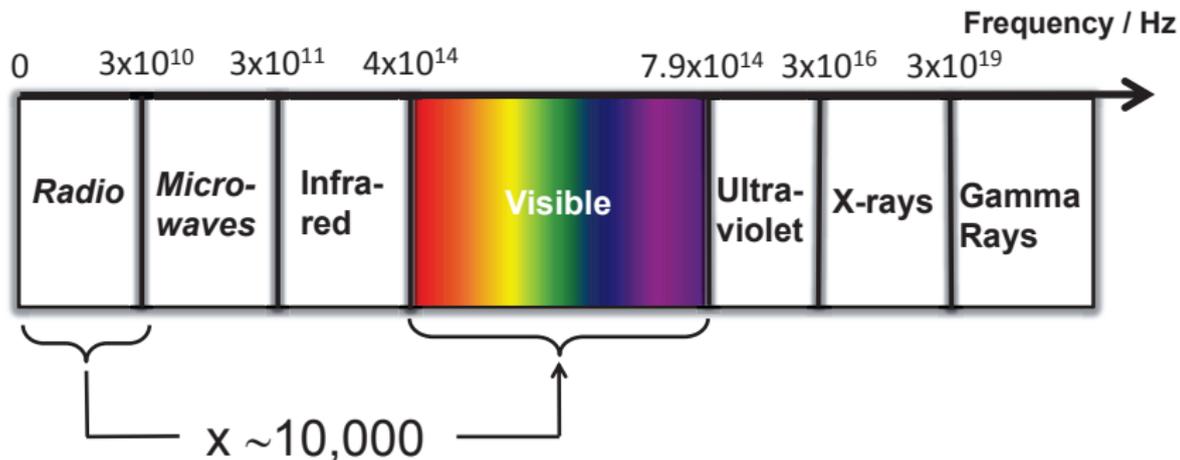
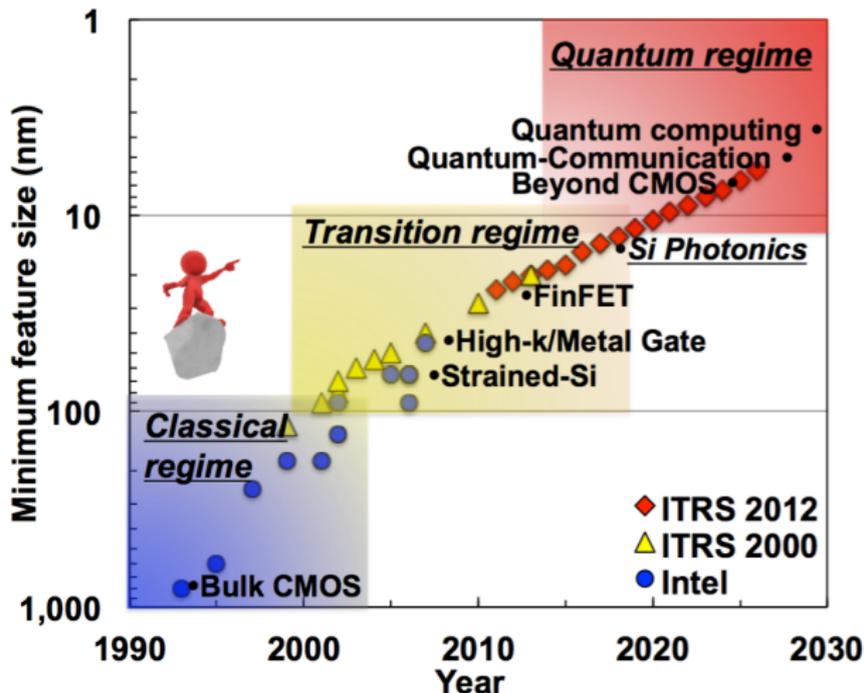


Figure: The electromagnetic spectrum ©H. Haas

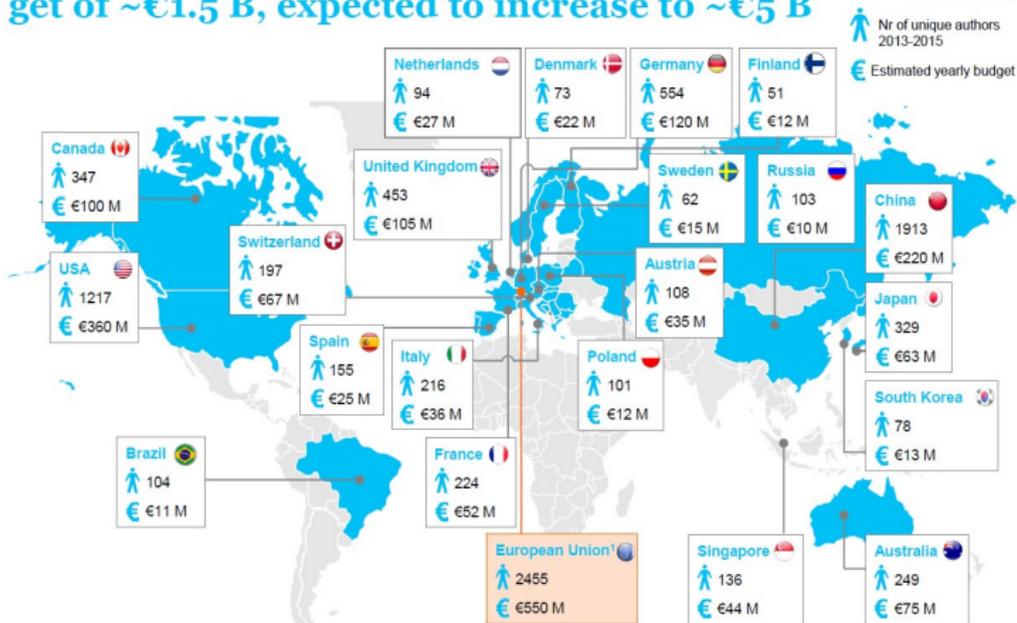
- L. Hanzo, H. Haas, S. Imre, D. O'Brien, M. Rupp, and L. Gyongyosi, "Wireless myths, realities, and futures: From 3g/4g to optical and quantum wireless," *Proceedings of the IEEE*, vol. 100, pp. 1853 –1888, 13 2012, Invited Paper in the Centennial Issue



Source: <http://theconversation.com/uk/technology>

Worldwide, ~7000 researchers work with budget of ~€1.5 B, expected to increase to ~€5 B

NON-CLASSIFIED

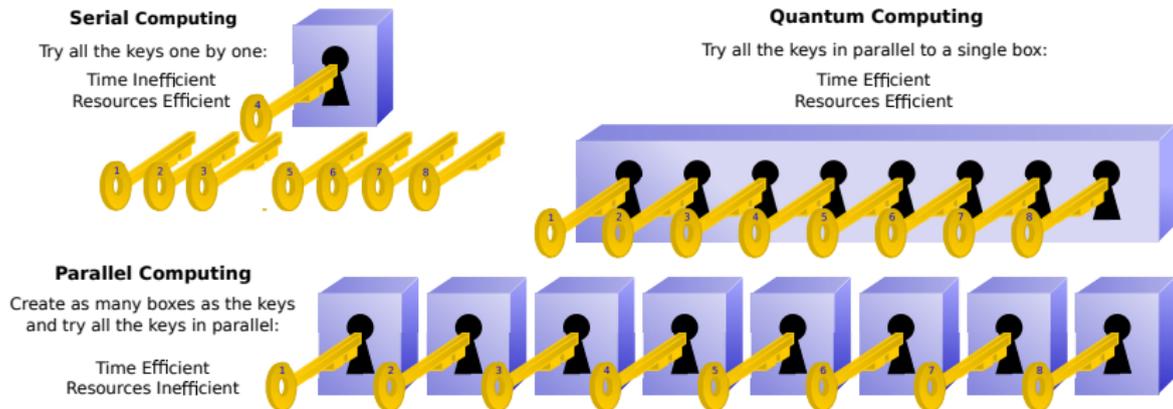


¹ Combined estimated budget of EU countries

What is Quantum Computing...?

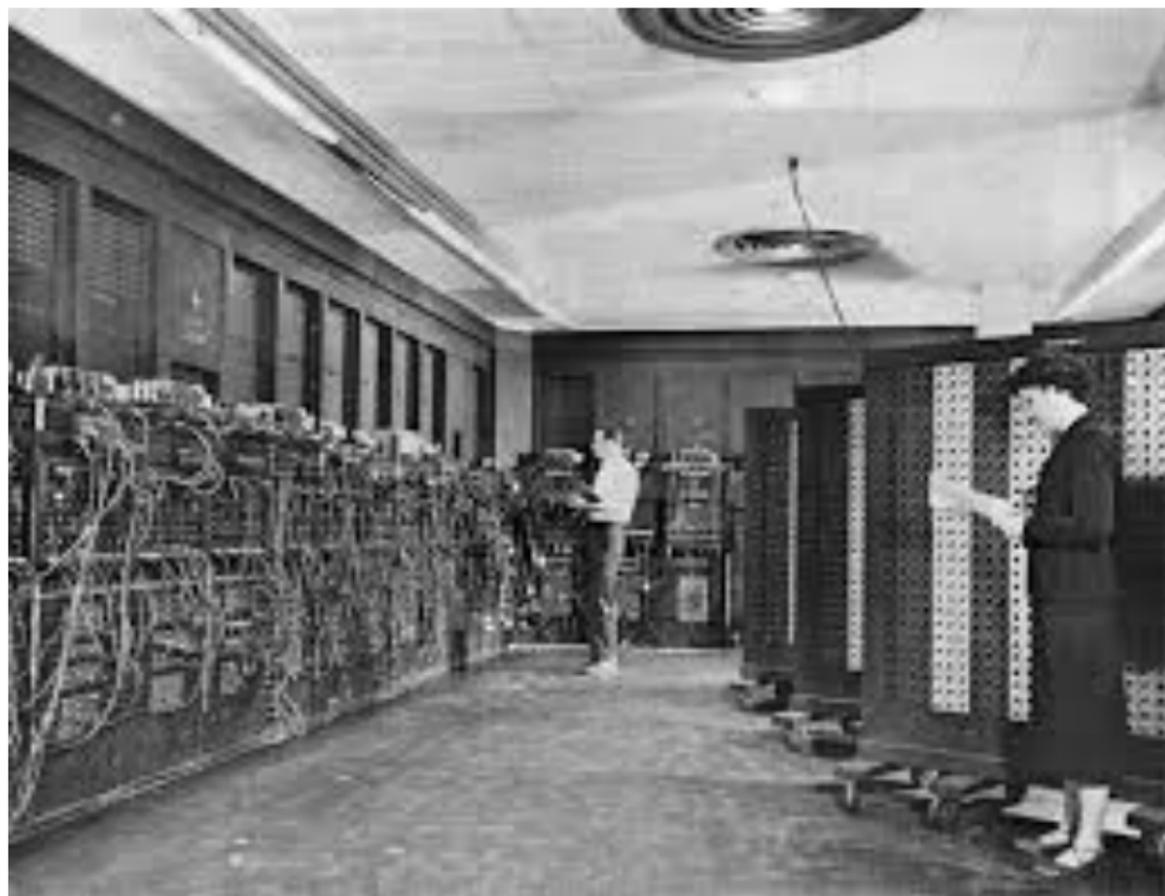
- “I think there is a world market maybe for five computers.”
T.J. Watson, Chairman of IBM, 1943
- We already have more than five quantum computers in 2018

Quantum-Computing Meets Communications... ©Hanzo et al.

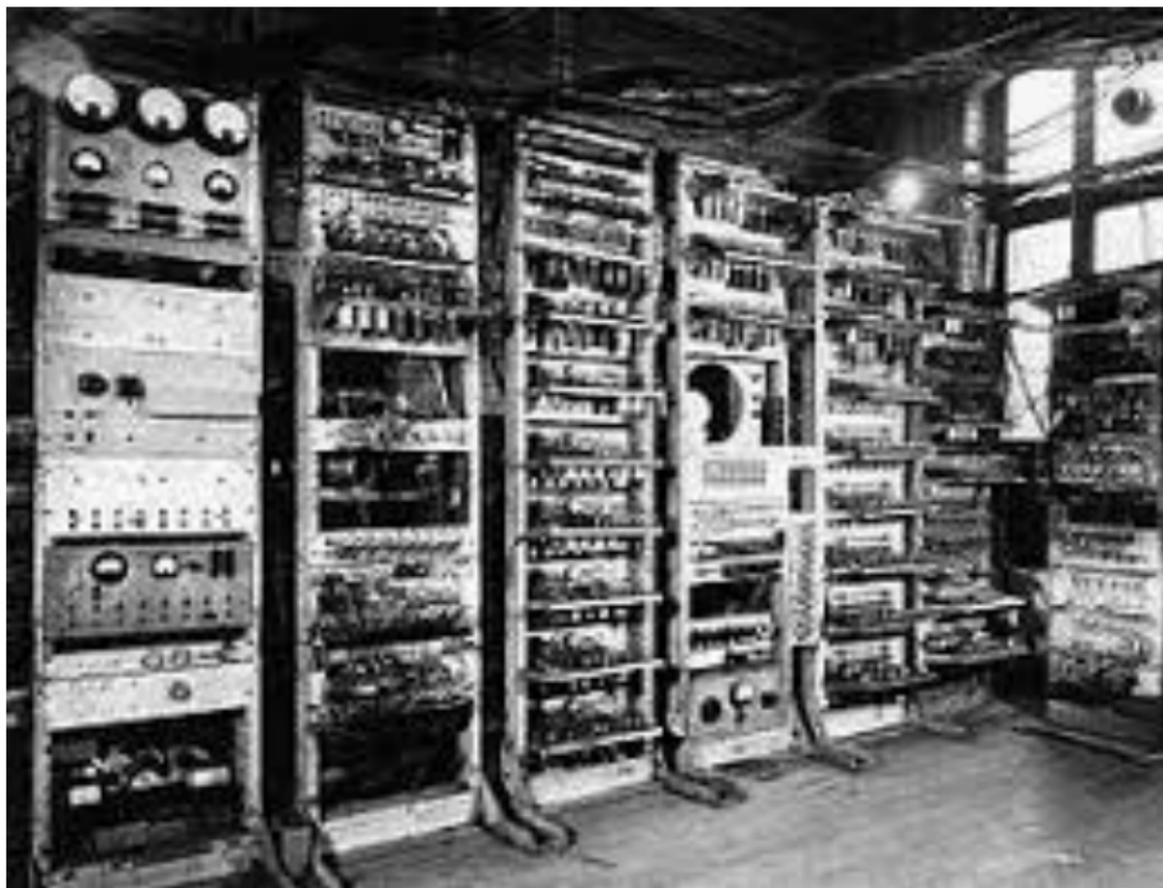


- **[Hanzo et al.]** Wireless Myths, Realities and Futures, Proc. of the IEEE, 13th of May 2012, Centennial Issue, Xplore Open Access
- **[Botsinis, Ng & Hanzo]:** Quantum Search Algorithms, Quantum Wireless and a Low-Complexity Maximum Likelihood Iterative Quantum Multi-User Detector Design, IEEE Access May 2013 Xplore Open Access

The First Computers in the 1950s ©CCBY



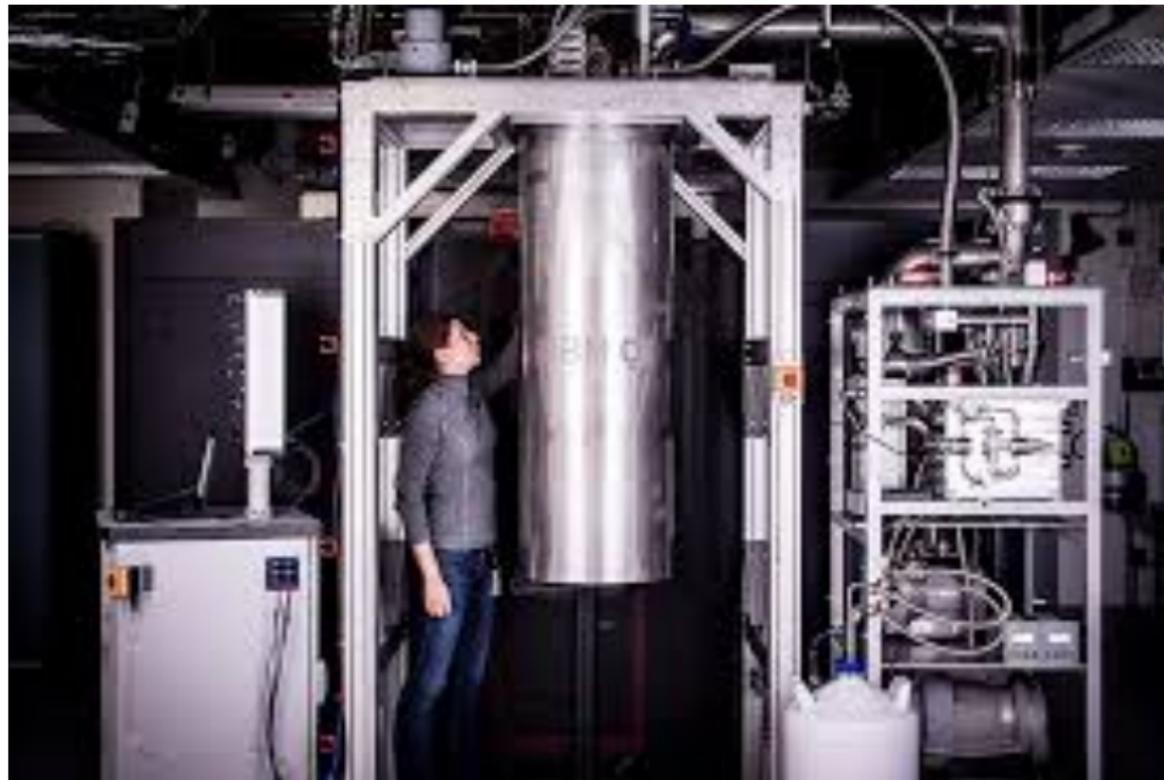
The First Computers in the 1950s ©CCBY



The First Computers in the 1950s ©CCBY



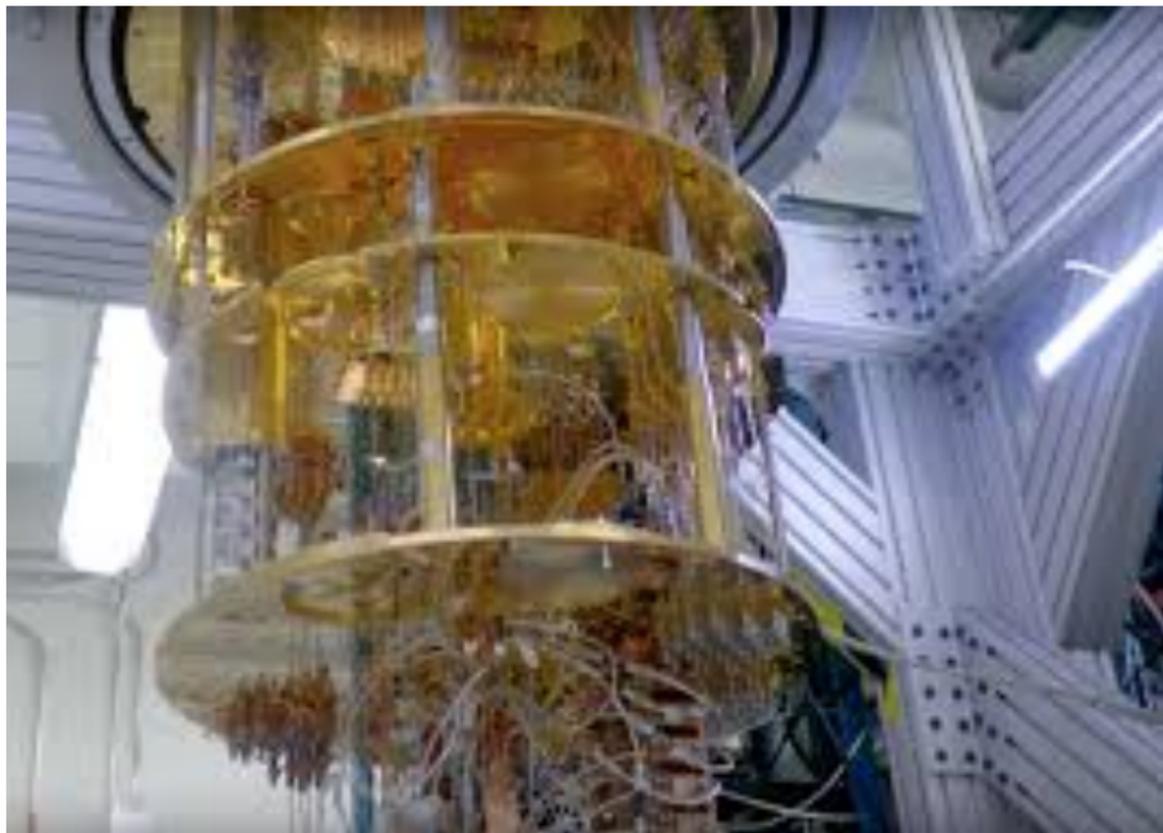
The 17-Qubit IBM Quantum Computer in 2018 ©CCBY

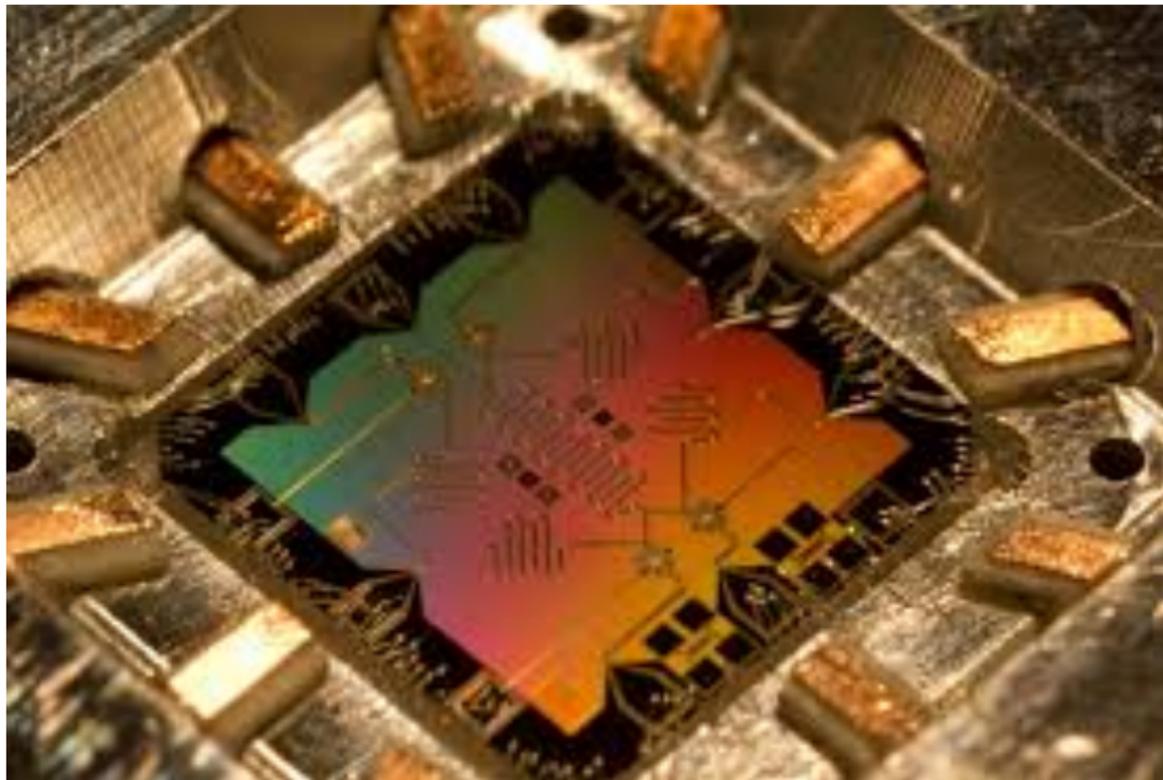


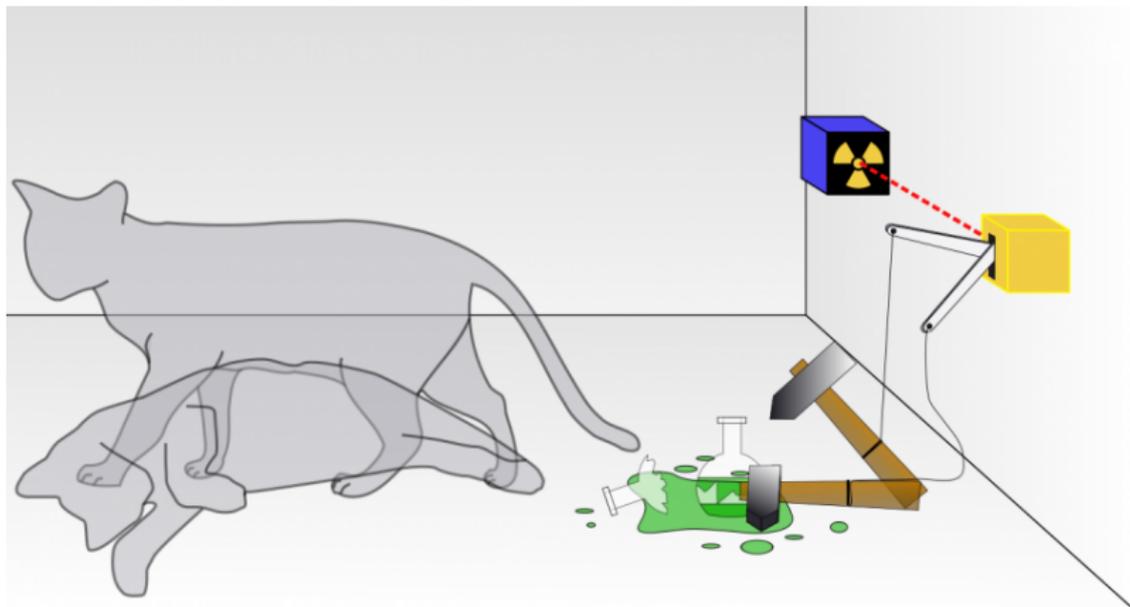
The First IBM Quantum Computers in 2018 ©CCBY

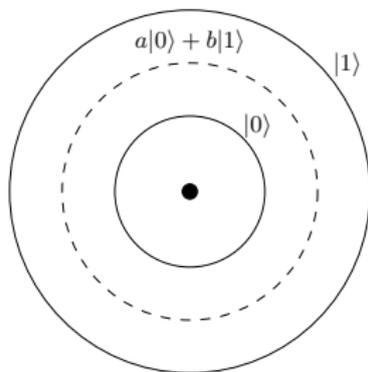


The First IBM Quantum Computers in 2018 ©CCBY





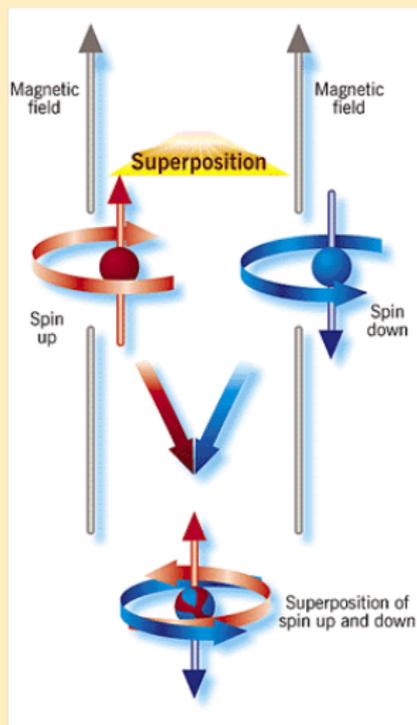




An atom with one electron orbiting around the nucleus having two legitimate energy levels (solid orbits). Quantum mechanics allow the electron to be in an arbitrary superposition of these two energy levels (dashed orbit), but when it is observed it may only be found in one of the two legitimate orbits.

- Spinning Coin in a Black Box:
 - 50% “Heads” AND 50% “Tails”.
Both at the same time!
 - Observation (by opening the box): “Heads” OR “Tails”.
 - Idea: Keep the coin spinning and manipulate it without opening the box.
- Coins in computing:
 - Classic bit: 0 or 1.
 - Quantum bit (Qubit): 0 or 1, or any combination of them.
- Ket notation: $|q\rangle = a|\text{HEADS}\rangle + b|\text{TAILS}\rangle = a|0\rangle + b|1\rangle$,
where $|a|^2 + |b|^2 = 1$ and $a, b \in \mathbb{C}$.
Provides any possible superposition of 0 and 1!
- Observation:
 - $|a|^2$ probability to observe $|0\rangle$
 - $|b|^2$ probability to observe $|1\rangle$The qubit's state becomes the observed one with probability 1.
- 2 qubits: $|q\rangle = 0.5|00\rangle + 0.5|01\rangle + 0.5|10\rangle + 0.5|11\rangle$

Qubit: $\alpha|0\rangle + \beta|1\rangle$



<http://abyss.uoregon.edu/~js/cosmo/lectures/lec08.html>

Quantum Measurement

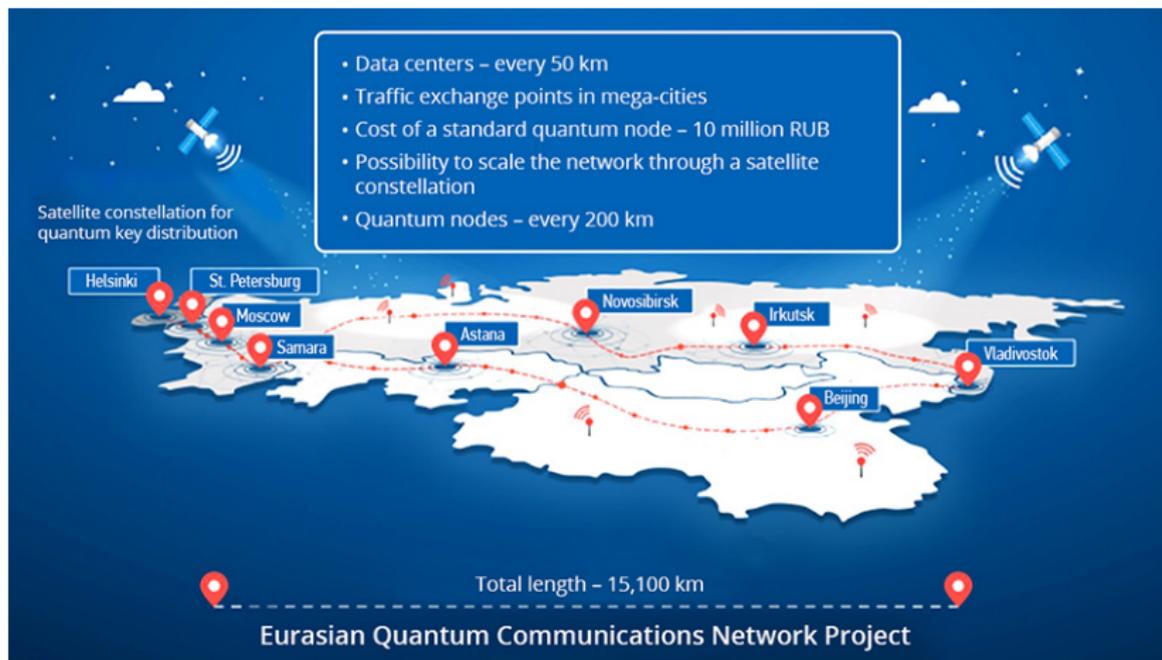
$$\alpha|0\rangle + \beta|1\rangle \xrightarrow{|\alpha|^2} |0\rangle$$
$$\xrightarrow{|\beta|^2} |1\rangle$$

So, What is Quantum Communications?



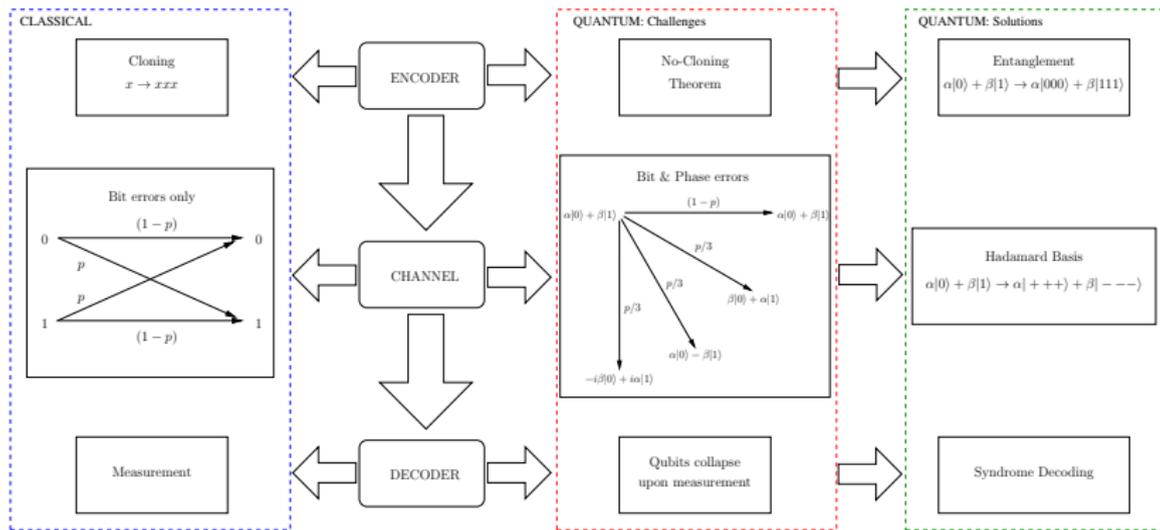


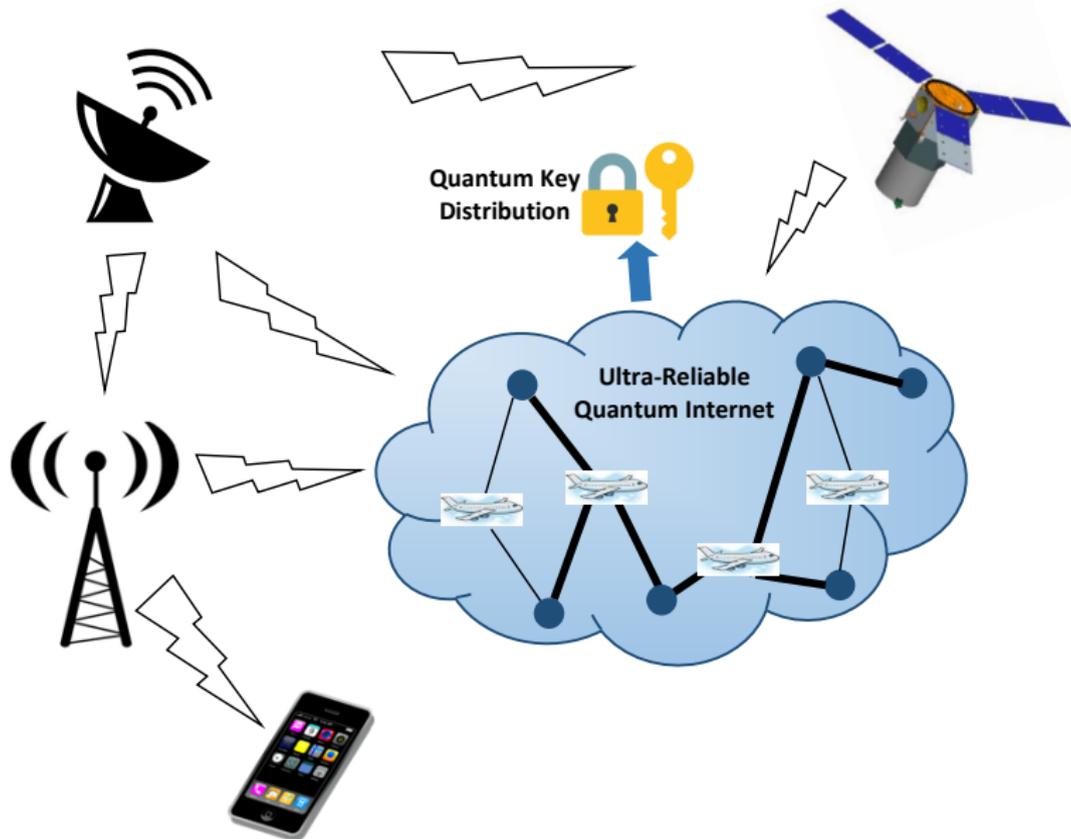
The Russian QKD Experiment ©CCBY



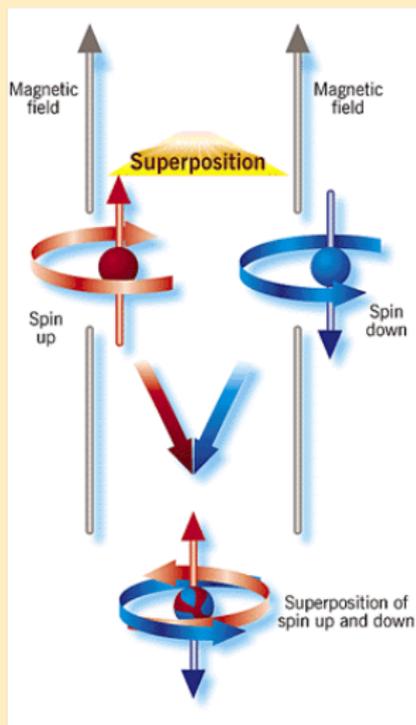


Pauli-to-Classical Isomorphism ©Hanzo *et al.*





Qubit: $\alpha|0\rangle + \beta|1\rangle$

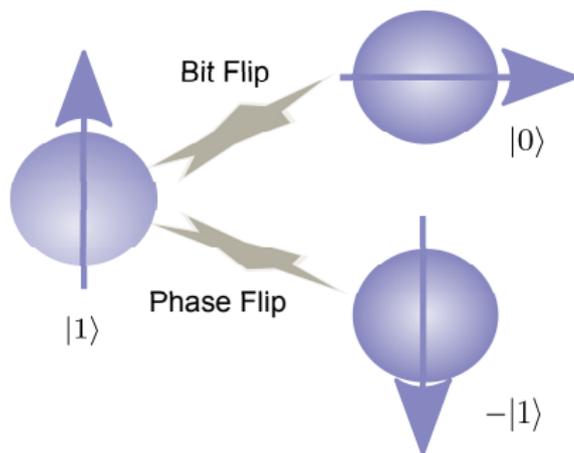


<http://abyss.uoregon.edu/~js/cosmo/lectures/lec08.html>

Quantum Measurement

$$\begin{aligned}\alpha|0\rangle + \beta|1\rangle &\xrightarrow{|\alpha|^2} |0\rangle \\ &\xrightarrow{|\beta|^2} |1\rangle\end{aligned}$$

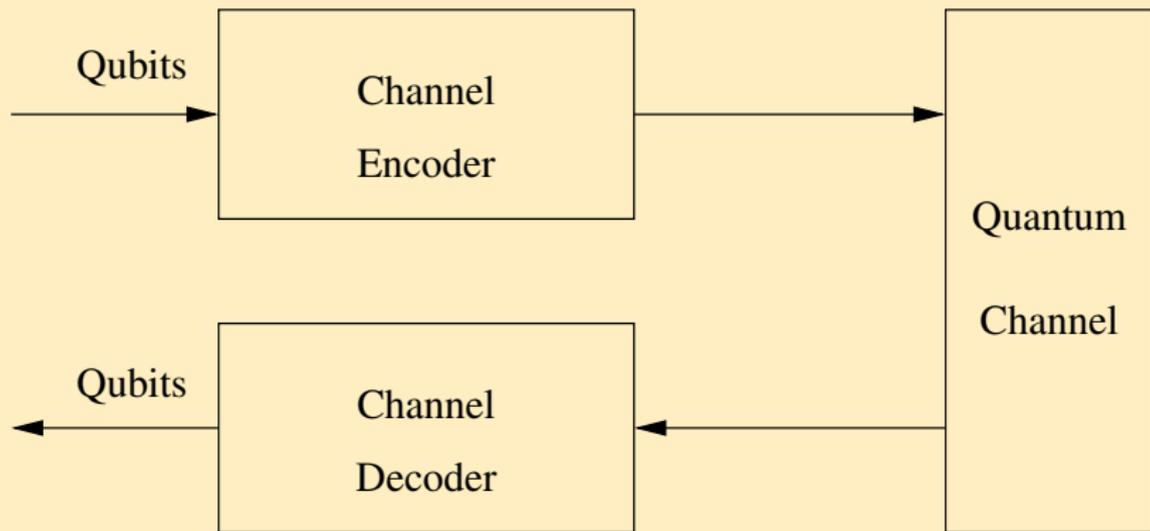
The Benefits of Quantum Codes

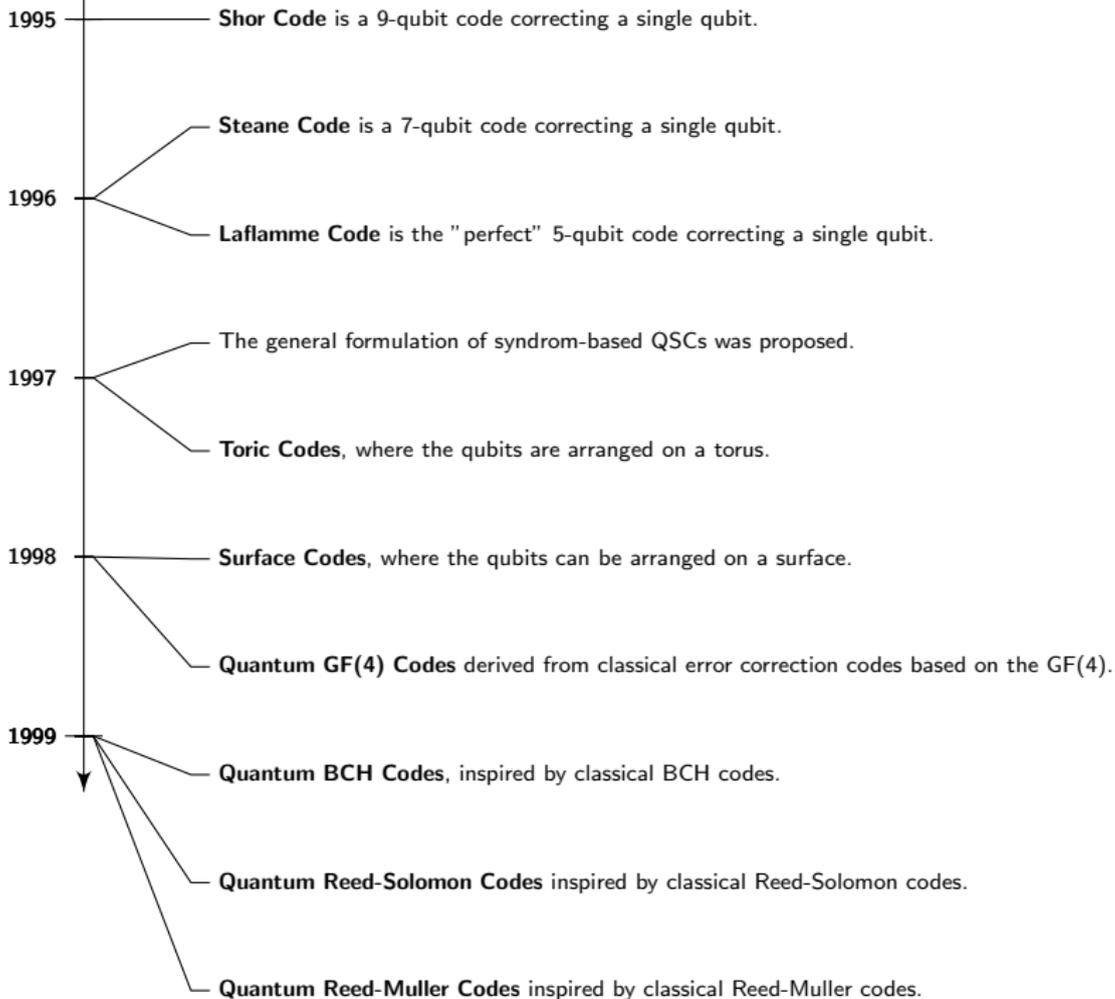


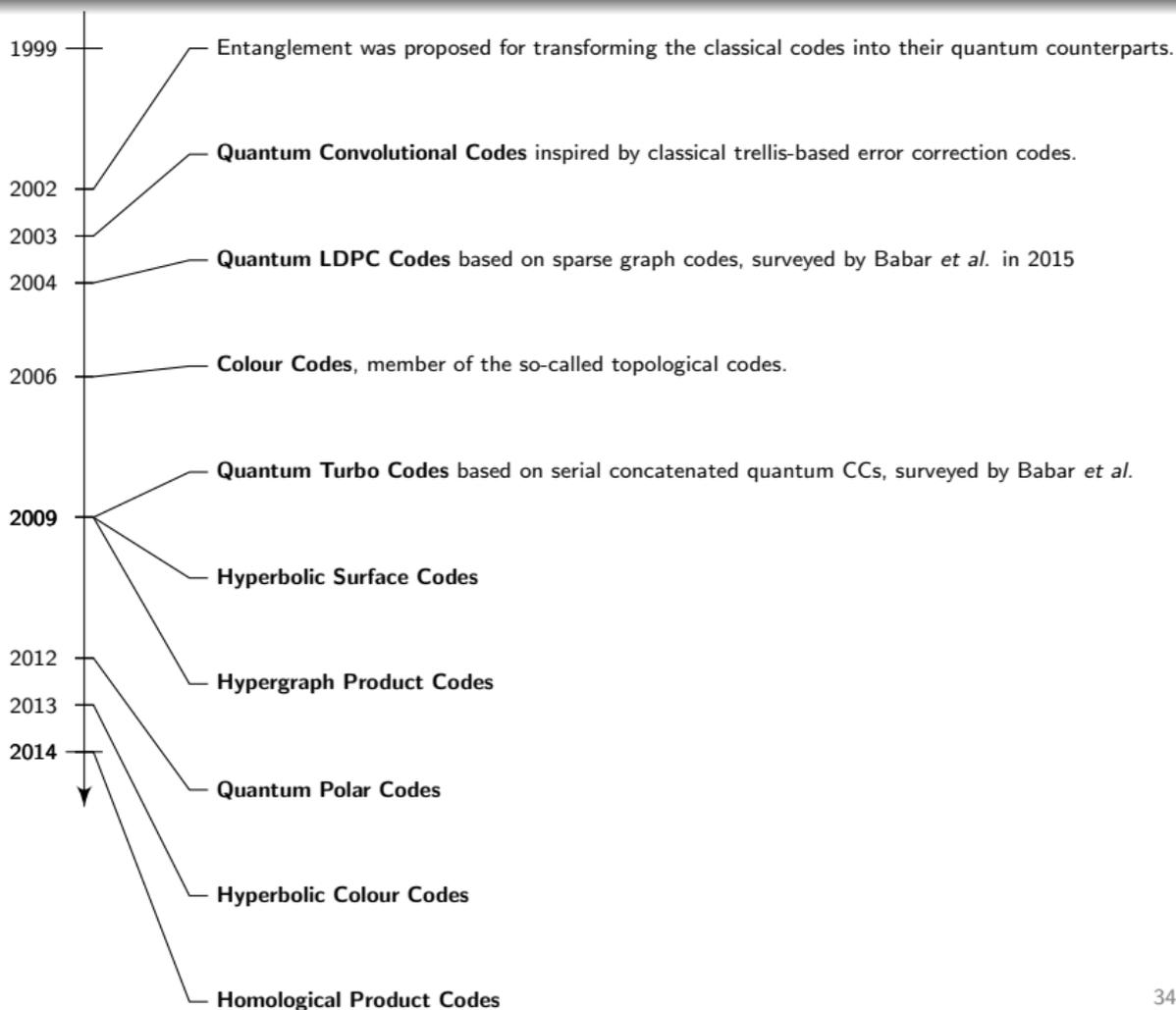
Quantum decoherence/noise characterized by bit and phase flips.

Quantum Error Correction Codes (QECCs) are vital for reliable quantum computing and communication systems.

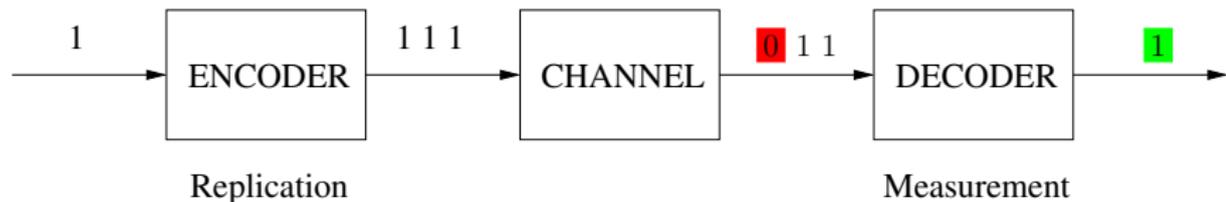
Design efficient error correction codes for reliable quantum systems by exploiting the underlying quantum-to-classical isomorphism.







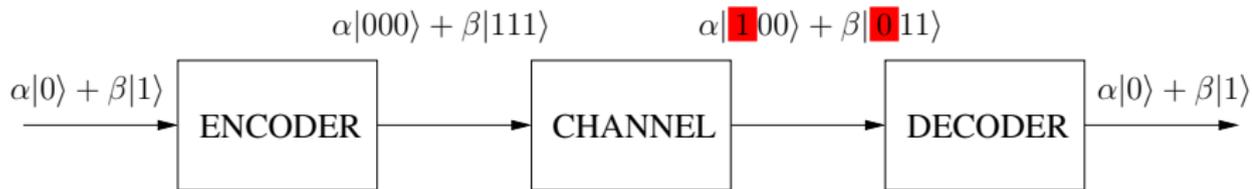
Classical Error Correction



No-Cloning Theorem

Measurement Destroys a Qubit

Quantum Error Correction



We wish to determine the error without observing the qubit!!

Solution: Measure the error without reading the data.

Quantum Error Correction → Majority-Based Syndrome Decoding

- Check 1: Modulo 2 addition of first and second qubits.
- Check 2: Modulo 2 addition of first and third qubits.

Syndrome Checks	Correction/Action
00	No Error
11	Bit error on 1st Qubit
10	Bit error on 2nd Qubit
01	Bit error on 3rd Qubit

Classical Parity Check Matrix (PCM)-based Syndrome Decoding

$$s = yH^T = (x + e)H^T = eH^T$$

- For the 3-bit Repetition code, we have:

$$H = \begin{pmatrix} 1 & 1 & 0 \\ 1 & 0 & 1 \end{pmatrix}$$

- Valid codewords are $(0\ 0\ 0)$ and $(1\ 1\ 1)$.
- Let $y = (0\ 1\ 1)$, then:

$$s = \begin{pmatrix} 0 & 1 & 1 \end{pmatrix} \begin{pmatrix} 1 & 1 \\ 1 & 0 \\ 0 & 1 \end{pmatrix} = \begin{pmatrix} 1 & 1 \end{pmatrix}$$

Phase Error Correction

- Encode the basis states $|0\rangle$ and $|1\rangle$ in the Hadamard basis, i.e.

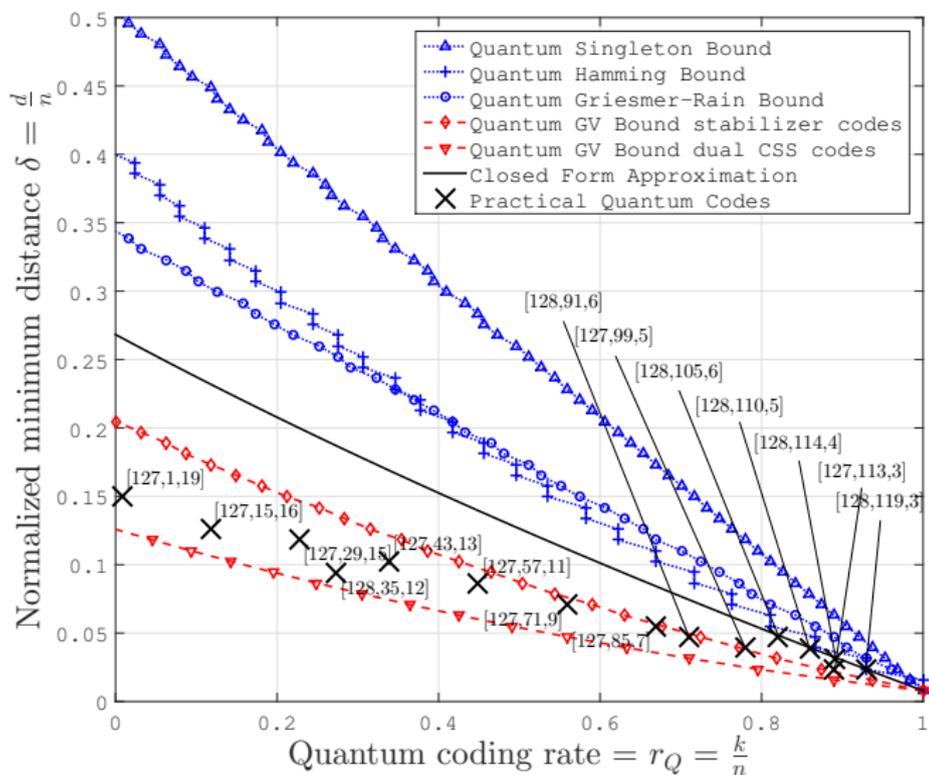
$$|0\rangle \rightarrow |+++ \rangle \quad |1\rangle \rightarrow |-- \rangle$$

where we have:

$$|+\rangle \rightarrow \frac{|0\rangle + |1\rangle}{\sqrt{2}} \quad |-\rangle \rightarrow \frac{|0\rangle - |1\rangle}{\sqrt{2}}$$

- Check 1: Compare the first and second qubits.
- Check 2: Compare the first and third qubits.
- For example, the information word $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$ is encoded into $|\bar{\psi}\rangle = \alpha|+++ \rangle + \beta|-- \rangle$. If phase error occurs on the first qubit, we receive $|\hat{\psi}\rangle = \alpha|-++ \rangle + \beta|+-- \rangle$.

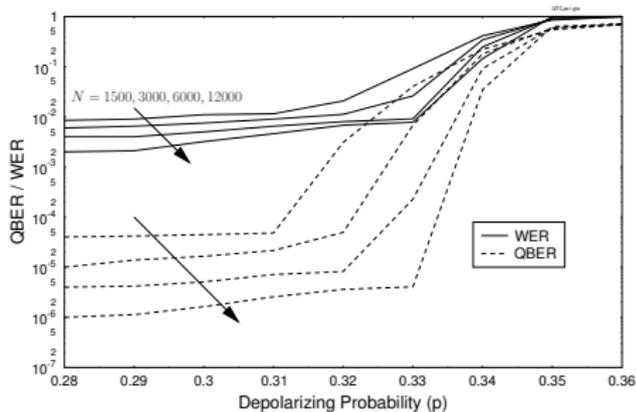
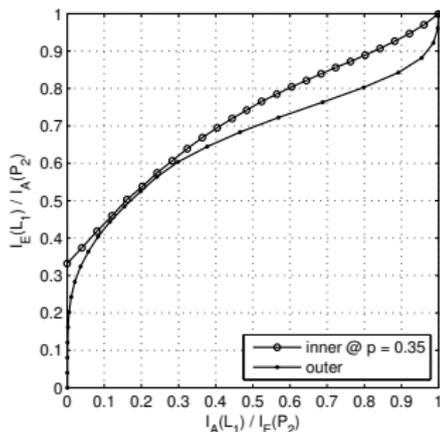
Quantum coding rate r_Q versus normalized minimum distance δ for finite-length QSCs, $n = 127$ & $n = 128$



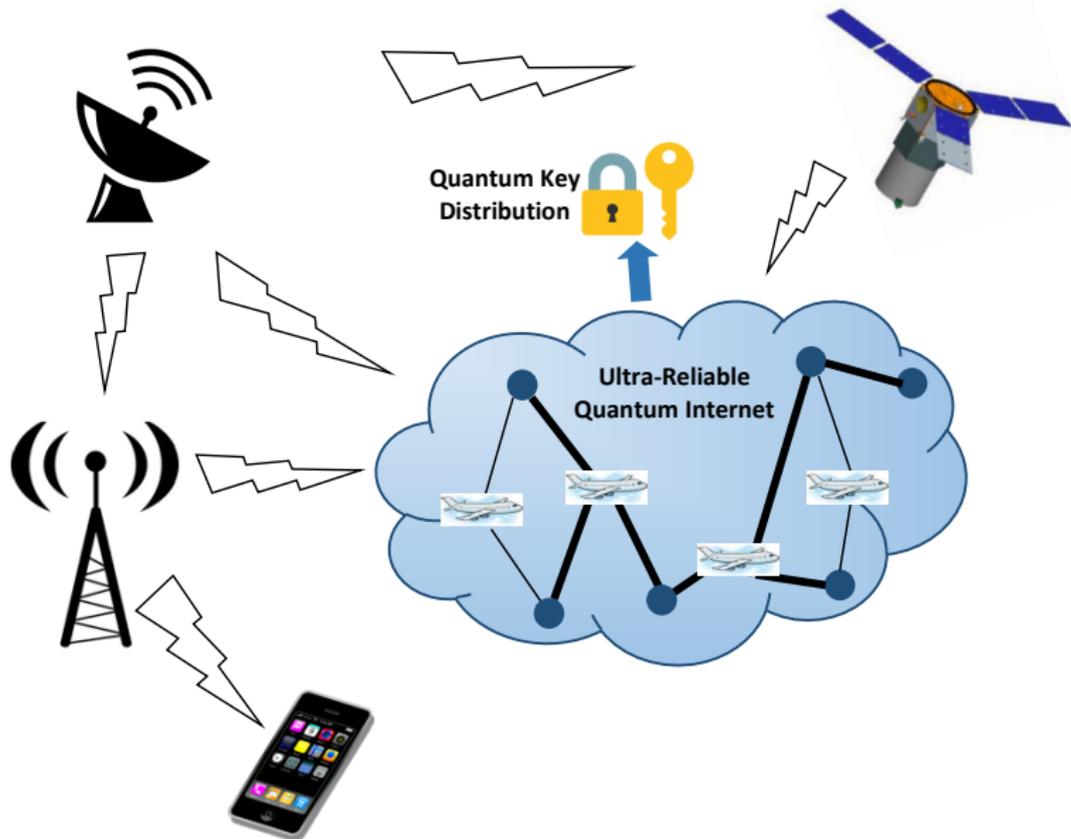
Results I: Optimized Quantum Turbo Code Design

©Hanzo *et al.*

- Design Criterion: Find the optimal inner and outer components, which yield a marginally open tunnel between the EXIT curves of the inner and outer decoders at the highest possible depolarizing probability.

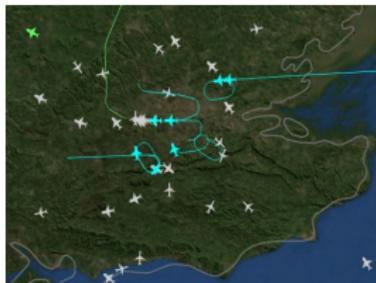


Our optimized QTC operates within 0.3 dB of the capacity limit re



- Quantum Key Distribution;
- Q-Memory, Q-Repeaters, Q-Search Algorithms;
- Free-Space Optical Communications;
- What can we transplant from the classical into the quantum domain?
- **The Quantum-Internet Above the Clouds Based on Pareto-Optimization Using Quantum-Search Algorithms**

Aircraft mobility pattern for LHR, in the European airspace and over the North Atlantic ©Hanzo *et al.*



Heathrow Airport



European Airspace



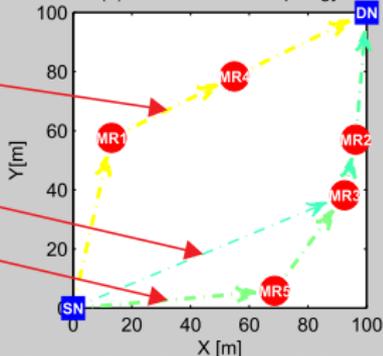
North Atlantic

- <https://uk.flightaware.com/live/airport/EGLL>

WMHN Topology

with Optimal Routes

(a) 7-Node WMHN topology



$N_{0,MR1} = -83.62$ dBm $N_{0,MR2} = -87.00$ dBm
 $N_{0,MR3} = -107.73$ dBm $N_{0,MR4} = -92.87$ dBm
 $N_{0,MR5} = -92.02$ dBm $N_{0,DN} = -99.27$ dBm

Pareto Optimal Routes:

- SN → MR1 → MR4 → DN
- SN → MR5 → MR3 → MR2 → DN
- SN → MR3 → MR2 → DN

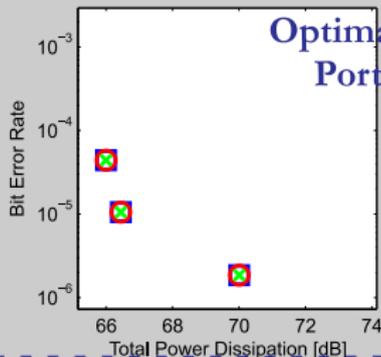
Pareto Optimal Route List

Interference Power Levels List

Frame Index

Elapsed Time: 78/324 Frames

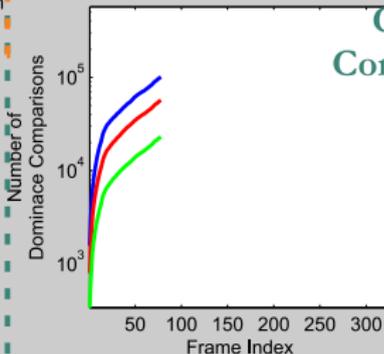
(b) Optimal Pareto Front



Optimal Pareto Front Portrayal Graph

- BF Method
- NDQO Alg.
- × NDQIO Alg.

(c) Complexity Quantified in terms of the Number of Dominance Comparisons



Cumulative Complexity Graph

- BF Method
Av. 1755
- NDQO Alg.
Av. 846
- NDQIO Alg.
Av. 356

Average per Frame Complexity

Pareto Optimal Routes Notation